

5/5

Name: [REDACTED]
Date: 10/11/12Folder # _____
Period _____

Precalculus Quiz: Linear Equations and Inequalities

2. How much of a 53% salt solution must be mixed with 70 gallons of 18%-salt solution to obtain a solution that is 25% salt?

- a) Explicitly define all variables.

$$x = \# \text{ of gallons of Salt solution}$$

$$y = \# \text{ of total gallons}$$

- b) Write two equations or inequalities that model that situation.

$$x + 70 = y$$

$$.53x + .18(70) = .25y$$

- c) Solve the problem with a valid method of your choice. State the name of the solution method used.

Substitution

$$\begin{array}{r} .28y = 4.9 \\ \hline .28 \quad .28 \end{array}$$

$$\boxed{x = 17.5}$$

$$x + 70 = y$$

$$17.5 + 70 = y$$

$$\boxed{87.5 = y}$$

$$\begin{aligned} y &= x + 70 \\ .53x + .18(70) &= .25(x + 70) \\ .53x + 12.6 &= .25x + 17.5 \\ -12.6 &\quad -12.6 \\ .53x &= .25x + 4.9 \\ -.25 &\quad -.25 \\ .28x &= 4.9 \end{aligned}$$

- d) Confirm your solution with an alternate method. State the name of the solution method used.

Matrix

$$x - y = -70 \quad + .53x - .25y = -12.6$$

$$\begin{bmatrix} 1 & -1 & -70 \\ .53 & -25 & -12.6 \end{bmatrix} \times \begin{bmatrix} 1 & 0 & 17.5 \\ 0 & 1 & 87.5 \end{bmatrix} \quad \begin{array}{l} x = 17.5 \\ y = 87.5 \end{array}$$

- e) State the final answer in complete sentences, which explain the real world meaning of the solution.

You would mix 17.5 gallons of the salt solution to get obtain 25% salt solution. It means that out of the 53% that we have only 17.5 of the gallons need to be added in order to make the solution 25% salt solution instead of 18% salt solution. Making the previous 70 gallons, 87.5 gallons.

515

Name: _____
Date: _____Folder # _____
Period _____

Precalculus Quiz: Linear Equations and Inequalities

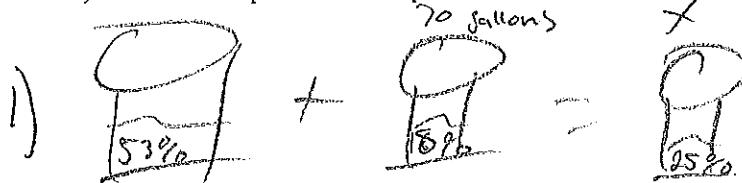
2. How much of a 53% salt solution must be mixed with 70 gallons of 18%-salt solution to obtain a solution that is 25% salt?

- a) Explicitly define all variables.

$$x = \# \text{ of gallons of } 53\% \text{ Salt Solution}$$

$$y = \text{Total } \# \text{ of gallons}$$

- b) Write two equations or inequalities that model that situation.



2) $0.53x + 0.18 \cdot 70 = .25y$

- c) Solve the problem with a valid method of your choice. State the name of the solution method used.

Algebraically

$$0.53x + 0.18 \cdot 70 = .25(x+70) \quad y = x+70$$

$$\begin{array}{r} 0.53x + 12.6 = 0.25x + 17.5 \\ -0.25x - 12.6 \quad -0.25x - 12.6 \\ \hline 0.28x = 4.9 \end{array}$$

$$x = 17.5$$

- d) Confirm your solution with an alternate method. State the name of the solution method used.

guess & check

$$0.53(17.5) + 0.18 \cdot 70 = 0.25(17.5 + 70)$$

$$9.275 + 12.6 = 4.375 + 17.5$$

$$21.875 = 21.875$$

- e) State the final answer in complete sentences, which explain the real world meaning of the solution.

You will need 17.5 gallons of 53% salt solution mixed with 70 gallons of 18% salt solution to obtain a solution that is 25% salt.

515

Name: ██████████
Date: October 11thFolder # _____
Period _____

Precalculus Quiz: Linear Equations and Inequalities

2. How much of a 53% salt solution must be mixed with 70 gallons of 18%-salt solution to obtain a solution that is 25% salt?

- a) Explicitly define all variables.

$x = \# \text{ of gallons of } 53\% \text{ solution}$

$y = \text{total } \# \text{ of gallons}$

- b) Write two equations or inequalities that model that situation.

$$x + 70 = y$$



$$.53x + .18(70) = .25y$$

- c) Solve the problem with a valid method of your choice. State the name of the solution method used.

Substitution

$$\begin{aligned} .53x + .18(70) &= .25(x + 70) & x = 17.5 \\ .53x + 12.6 &= .25x + 17.5 & x + 70 = y \Rightarrow 17.5 + 70 \\ -.25x - 12.6 &= -.25x - 17.5 & y = 87.5 \text{ gallons} \\ \underline{.28x} &= \underline{4.9} & x = 17.5 \end{aligned}$$

- d) Confirm your solution with an alternate method. State the name of the solution method used.

graphically)

$$y_1 = x + 70 \quad y_2 = \frac{.53x + .18(70)}{.25}$$

$$y_1 = x + 70$$

$$\begin{aligned} x &= 17.5 \\ y &= 87.5 \end{aligned}$$

✓ write as

$$(17.5, 87.5)$$

- e) State the final answer in complete sentences, which explain the real world meaning of the solution.

You would mix 17.5 gallons of a 53% salt solution with 70 gallons of a 18% salt solution to obtain 87.5 gallons of a 25% salt solution.

4B

Name: ██████████
Date: 10/11/12Folder #: _____
Period _____

Precalculus Quiz: Linear Equations and Inequalities

- $\boxed{53}x + \boxed{18}70 = \boxed{25}y$
2. How much of a 53% salt solution must be mixed with 70 gallons of 18%-salt solution to obtain a solution that is 25% salt?

- a) Explicitly define all variables. 53%

$X = \# \text{ of gallons of } \cancel{\text{salt}} \text{ solution.}$

$Y = \# \text{ of total gallons.}$

- b) Write two equations or inequalities that model that situation.

$$X + 70 = Y$$

$$\frac{(.53\%X + .18(70))}{.25} = Y$$

- c) Solve the problem with a valid method of your choice. State the name of the solution method used.

Graphing

Intersect

$$Y_1 = X + 70$$

(17.5, 87.5)

$$Y_2 = \frac{(.53\%X + .18(70))}{.25}$$

- d) Confirm your solution with an alternate method. State the name of the solution method used.

Substitution

$$X + 70 = (.53X + 18(70))$$

$$\frac{(.53X + 18(70))}{.25}$$

$$X = \underline{\hspace{2cm}}$$

$$Y = \underline{\hspace{2cm}}$$

$$Y_1 = X + 70$$

$$Y_2 = \frac{(.53\%X + 18(70))}{.25}$$

$$X + 17.5 = .53X + 12.6$$

$$4.9 = .47X$$

$$-10.47 = ? - 1$$

so close!

- e) State the final answer in complete sentences, which explain the real world meaning of the solution.

You would mix 17.5 gallons with a 53% salt solution

with 70 gallons with a 18% salt solution to contain 87.5 gallons with 25% salt solution.

4B

Name: XXXXXXXXXX
Date: October 11, 2012

Folder # _____
Period 3

Precalculus Quiz: Linear Equations and Inequalities

2. How much of a 53% salt solution must be mixed with 70 gallons of 18%-salt solution to obtain a solution that is 25% salt?

- a) Explicitly define all variables.

$X = \text{Number of gallons of } 53\% \text{ solution}$

$y = \text{Total gallons (25\%)}$

- b) Write two equations or inequalities that model that situation.

$$x + 70 = y,$$

$$.53x + .18(70) = .25y$$

$$y_1 = x + 70$$

- c) Solve the problem with a valid method of your choice. State the name of the solution method used.

(Graphically) $y_1 = x + 70$

$$y_2 = (.53x + .18(70)) \div .25$$

Window:

$$x_{\min} = -80$$

$$x_{\max} = 300$$

$$y_{\max} = 300$$

- d) Confirm your solution with an alternate method. State the name of the solution method used.

If you ~~solve~~ in the calculator,

You press 2nd and then Calc

Press 5 press enter three times

And the intersection would be

$$(-40, 83, 29.16)$$

- e) State the final answer in complete sentences, which explain the real world meaning of the solution.

It would take 29.16 more gallons to be mixed with 53% of the salt solution and 40% to be mixed with the 18% of salt solution.



Name: ██████████
Date: 10-11-12

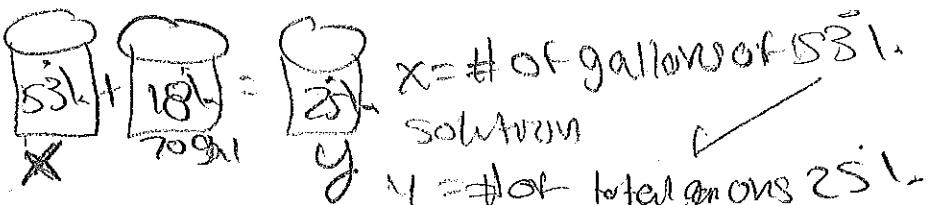
Folder #
Period 13

Precalculus Quiz: Linear Equations and Inequalities

2. How much of a 53% salt solution must be mixed with 70 gallons of 18%-salt solution to obtain a solution that is 25% salt?

- a) Explicitly define all variables.

x , y



$x = \# \text{ of gallons of } 53\%$

solution

$y = \# \text{ of total gallons } 25\%$

- b) Write two equations or inequalities that model that situation.

$$x + 70 = y$$

$$.53(x) + .18(70) = .25y$$



- c) Solve the problem with a valid method of your choice. State the name of the solution method used.

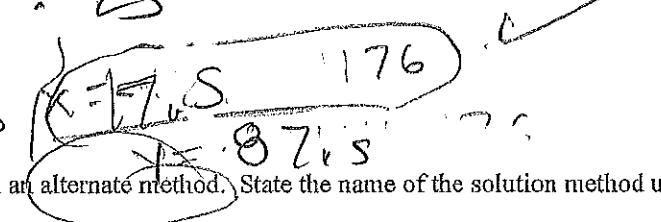
-Graphically

$$x + 70 = y$$

$$y_1 = x + 70$$

$$.53x + .18(70) = \frac{.25}{.25}$$

$$y_2 = (.53x + .18(70)) .25$$



- d) Confirm your solution with an alternate method. State the name of the solution method used.

-1

- e) State the final answer in complete sentences, which explain the real world meaning of the solution.

When a solution contains 53% salt solution
and is mixed with a 70 gallons of a 18% salt
solution to obtain a solution that is 25% salt
you must have 17.5 gallons of the 53% salt
solution.

415

Name: [REDACTED]
 Date: October 11, 2012

Folder # [REDACTED]
 Period [REDACTED]

Precalculus Quiz: Linear Equations and Inequalities

2. How much of a 53% salt solution must be mixed with 70 gallons of 18%-salt solution to obtain a solution that is 25% salt?

- a) Explicitly define all variables.

$$x = \text{# of salt solution } 53\%$$

$$y = \text{# of total salt solution } 25\%$$

- b) Write two equations or inequalities that model that situation.

$$x + 70 = y$$

$$.53x + .18(70) = .25y$$

- c) Solve the problem with a valid method of your choice. State the name of the solution method used.

Graphically

$$y_1 = x + 70$$

$$y_2 = \frac{(.53x + .18(70))}{.25}$$

$$\frac{.53x + .18(70)}{.25} = \frac{.25y}{.25}$$

$$[17.5, 87.5] \quad \checkmark$$

- d) Confirm your solution with an alternate method. State the name of the solution method used.



- e) State the final answer in complete sentences, which explain the real world meaning of the solution.

You would mix 17.5 gallons of a 53% salt solution with 70 gallons of 18% salt solution to obtain 87.5 gallons of 25% salt solution.

4HS

Name: [REDACTED]
Date: 10-11-12Folder # [REDACTED]
Period [REDACTED]

Precalculus Quiz: Linear Equations and Inequalities

2. How much of a 53% salt solution must be mixed with 70 gallons of 18%-salt solution to obtain a solution that is 25% salt?

- a) Explicitly define all variables.

$x = \# \text{ of gallons of solution } 53\%$.

$y = \# \text{ of total gallons (25\%)}$ ✓

- b) Write two equations or inequalities that model that situation.

$$x + 70 = y$$

$$\frac{.53x + .18(70)}{.25} = \frac{.25y}{.25}$$

✓

- c) Solve the problem with a valid method of your choice. State the name of the solution method used.

- Graphically

$$x + 70 = y$$

$$y_1 = x + 70$$

$$\frac{.53x + .18(70)}{.25} = \frac{.25y}{.25}$$

$$y_2 = \frac{.53x + .18(70)}{.25}$$

$$y_2 = \frac{.53x + .18(70)}{.25}$$

- d) Confirm your solution with an alternate method. State the name of the solution method used.

- Graphically

$$x = 17.5$$

$$y = 87.5$$

|

- e) State the final answer in complete sentences, which explain the real world meaning of the solution.

You would mix 17.5 gallons of a 53% salt solution with 70 gallons of a 18% salt solution to obtain 87.5 gallons of a 25% salt solution.

415

Name: [REDACTED]
Date: 10-11-2012Folder # [REDACTED]
Period [REDACTED]

Precalculus Quiz: Linear Equations and Inequalities

2. How much of a 53% salt solution must be mixed with 70 gallons of 18%-salt solution to obtain a solution that is 25% salt?

- a) Explicitly define all variables.

$$x = \# \text{ of gallons of } 53\% \text{ Solution}$$

$$y = \text{total } \# \text{ of gallons}$$

- b) Write two equations or inequalities that model that situation.

$$x + 70 = y$$

$$.53x + .18(70) = .25y$$



Substitution c) Solve the problem with a valid method of your choice. State the name of the solution method used.

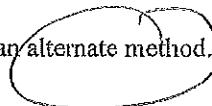
$$\begin{aligned} .53x + .18(70) &= .25(x+70) \\ .53x + 12.6 &= .25x + 17.5 \\ .28x + 12.6 &= .25x \\ .28x - .25x &= 17.5 - 12.6 \\ .03x &= 4.9 \\ x &= 17.5 \end{aligned}$$

$$17.5 + 70 = y$$

$$87.5 = y$$



- d) Confirm your solution with an alternate method. State the name of the solution method used.



- e) State the final answer in complete sentences, which explain the real world meaning of the solution.

You would mix 17.5 gallons of 53% salt solution with 70 gallons of 18% salt solution to obtain 87.5 gallons of 25% salt solution



4/5

Name: ██████████
Date: _____Folder #: _____
Period: _____

Precalculus Quiz: Linear Equations and Inequalities

2. How much of a 53% salt solution must be mixed with 70 gallons of 18%-salt solution to obtain a solution that is 25% salt?

- a) Explicitly define all variables.

$$X = \text{# of gallons of } 53\% \checkmark$$

$$Y = \text{total of gallons.} \checkmark$$

- b) Write two equations or inequalities that model that situation.

$$Y = X + 70 \checkmark$$

$$.53X + .18(70) = .25Y$$

- c) Solve the problem with a valid method of your choice. State the name of the solution method used.

$$.53X + .18(70) = .25Y$$

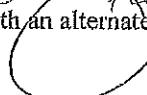
$$.53X + .18(70) = .25(X + 70)$$

$$\begin{array}{r} .53X + 12.6 = .25X + 17.5 \\ -.25 \quad -12.6 \quad -.75 \quad -12.6 \\ .28X = 4.9 \end{array}$$

$$\frac{.28}{.28} X = \frac{4.9}{.28} \quad X = 17.5 \checkmark$$

$$Y = .25(17.5) \quad Y = 87.5$$

- d) Confirm your solution with an alternate method. State the name of the solution method used.



- e) State the final answer in complete sentences, which explain the real world meaning of the solution.

You would mix 17.5 gallons of 53% salt solution

with 70 gallons of 18%-salt solution to get 87.5

gallons of 25%-salt solution. \checkmark

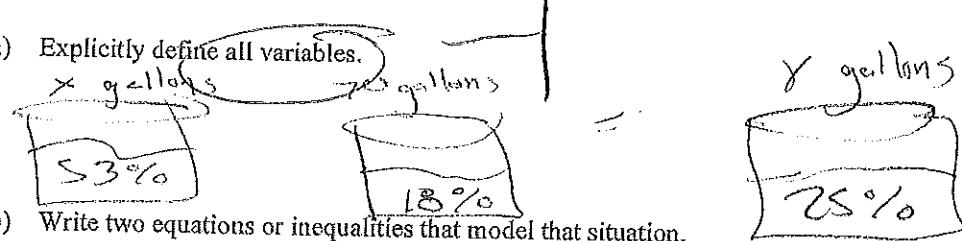
BKS

Name: [REDACTED]
Date: 10/11/17Folder # [REDACTED]
Period [REDACTED]

Precalculus Quiz: Linear Equations and Inequalities

2. How much of a 53% salt solution must be mixed with 70 gallons of 18%-salt solution to obtain a solution that is 25% salt?

- a) Explicitly define all variables.



- b) Write two equations or inequalities that model that situation.

$$0.53x + 70 \cdot 0.18 = 0.25y$$

$$0.53x + 12.6 = 0.25(x+70)$$

- c) Solve the problem with a valid method of your choice. State the name of the solution method used.

$$\begin{aligned} 0.53x + 12.6 &= 0.25x + 17.5 \\ -0.25x - 12.6 & \quad -0.25 - 12.6 \end{aligned}$$

Algebraically with
elimination

- d) Confirm your solution with an alternate method. State the name of the solution method used.

$$\begin{array}{r} 0.28x = 4.9 \\ \hline .28 \quad -28 \end{array}$$

$$\boxed{x = 17.5 \checkmark}$$

- e) State the final answer in complete sentences, which explain the real world meaning of the solution.

To obtain a solution that is 25% salt you must mix 17.5 gallons of 53% salt with 70 gallons of 18% salt.