

## Today's Objectives

- **Classify** polynomials orally using academic vocabulary.  
**Perform mathematical operations with polynomials to solve real-world problems and write answers in complete sentences that describe the real-world meaning using sentence stems.**
- **Success Criteria:**
  - Define polynomials
  - Classify polynomials by number of term
  - Classify polynomials by degree
  - Add and subtract polynomials
  - Multiply polynomials
  - Evaluate Polynomials for given values
- **Vocabulary:** term, degree, coefficient, monomial, binomial, trinomial, polynomial

# WARNING!

You already possess the mathematical knowledge to complete **objectives #1-14**. Therefore, we will move through them quickly. **Get started now** and *don't fall behind!!!*

## Polynomial Function

Let  $n$  be a nonnegative integer and let  $a_0, a_1, a_2, \dots, a_{n-1}, a_n$  be real numbers with  $a_n \neq 0$ . The function given by

$$f(x) = a_n x^n + a_{n-1} x^{n-1} + \dots + a_2 x^2 + a_1 x + a_0$$

is a **polynomial function of degree  $n$** .

**The leading coefficient is  $a_n$ .**

## AM: Find degree of polynomials

3.  $-3 + 2x^4 + x^2$

[A] second degree

[B] third degree

[C] first degree

[D] fourth degree

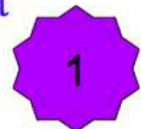
LO: The degree of the polynomial is \_\_\_\_ because the largest power of \_\_\_\_ is \_\_\_\_.



## AM: Find degree of polynomials

4.  $5x^7 - 2y^6 - 9x - 6$

LO: The degree of the polynomial is \_\_\_\_ because the largest power of the expression is \_\_\_\_\_.



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## What if I have more than one variable?

- When you have more than one variable, simply find the degree of each individual term by adding the exponents. Your degree is the highest sum.
- Example:
  - $xy^2 - x^3yz^4 + x^5$
  - The degree of **the first term** is 3, because we have the first power of x and the second power of y.
  - The degree of **the second term** is 8, because we have the 3<sup>rd</sup> power of x, 1<sup>st</sup> power of y and 4<sup>th</sup> power of z.
  - The degree of **the third term** is 5, \_\_\_\_\_
  - Therefore, the degree of the polynomial is 8, because \_\_\_\_\_.



## The Vocabulary of Polynomials

$$f(x) = a_n x^n + a_{n-1} x^{n-1} + \dots + a_0$$

- Each monomial  
–  $a_n x^n, a_{n-1} x^{n-1}, \dots, a_0$  in the sum  $f(x)$  is a **term** of the polynomial.
- A polynomial function written with terms in **descending** degree, is written in **standard form**.
- The constants  $a_n, a_{n-1}, \dots, a_0$  – are the **coefficients** of the polynomial.
- The term  $a_n x^n$  is the **leading term**, and  $a_0$  is the constant term.

$$3 + 2x^7 + 5x$$

## Polynomial Names and Terms

Term – an expression of the form  $a_n x^n$  in a polynomial function.

\*Note – these are normally separated by + and -

Name	# of terms	Example
Monomial	1	$3x^5$
Binomial	2	$x+5$
Trinomial	3	$-2x^4+5x-2$
Polynomial	More than 3	$7x^9-4x^8+x^5-2x+12$



**Standard Form Polynomial:** A polynomial written with the terms in descending order of degree is in standard form, in general

$$f(x) = a_n x^n + a_{n-1} x^{n-1} + \dots + a_0$$

*Example*

$$\begin{aligned} g(x) &= 800 + 10x^2 + 2x^{15} \\ &= 2x^{15} + 10x^2 + 800 \end{aligned}$$

## Polynomial Writing Activity

### Part 1

- In your envelope, you will find 8 cards labeled A-G
- Your graphic organizer has a space for you to write a polynomial or expression for each card.

~Example w/ card A  $-3x^4 - x^2 + 3$

- You have 10 minutes to try and write a definition for each card **individually**.
- Be prepared to share you work with you group and justify your answers (sentences frames are available for you to use).

## Polynomial Writing Activity

### Part 2

- Each member will share their possible definition for each card, explaining why their answer is correct. The order for sharing is pink, green, purple, and blue.
- If all group members approve your solution, you can put a check in the check column of your table.
- *Challenge question:* What is the difference between directions the purple and white card? Provide a mathematical reason for this difference.

## Exit Ticket

- Create your own **polynomial** and list its characteristics using the sentence frames on your exit ticket.